

The units here would be her speed units (m/s) per time unit (s), i.e. $m\ s^{-2}$ or m/s^2 . You can say that her speed decreased by 0.2 m/s every second, or her speed changed by -0.2 m/s every second. The negative sign tells you that it is a deceleration.

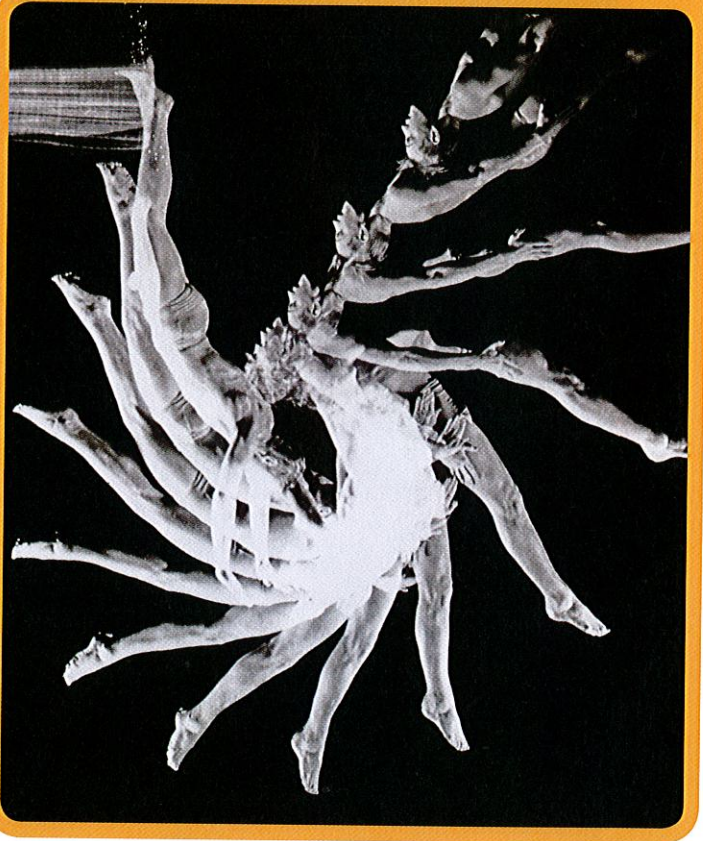


Fig 5.2.2

A multiple-exposure photograph shows different stages in a motion. The spacing between each image gives some idea of speed. Increasing spacing shows acceleration.

Calculating speed

Let's say a rocket launches with an acceleration of $50\ m/s^2$. It started at rest, but $50\ m/s$ is added to its speed every second that passes. Its speed will then follow the pattern shown in Figure 5.2.3.

If the rocket was already moving at, say, $500\ m/s$, then the speeds would be those shown in the figure with another $500\ m/s$ added to them. You can write this as:

$$\text{final speed} = \text{starting speed} + \text{acceleration} \times \text{time taken}$$

or $v = u + at$

If $a = 50\ m/s^2$, then $50\ m/s$ is added every second.

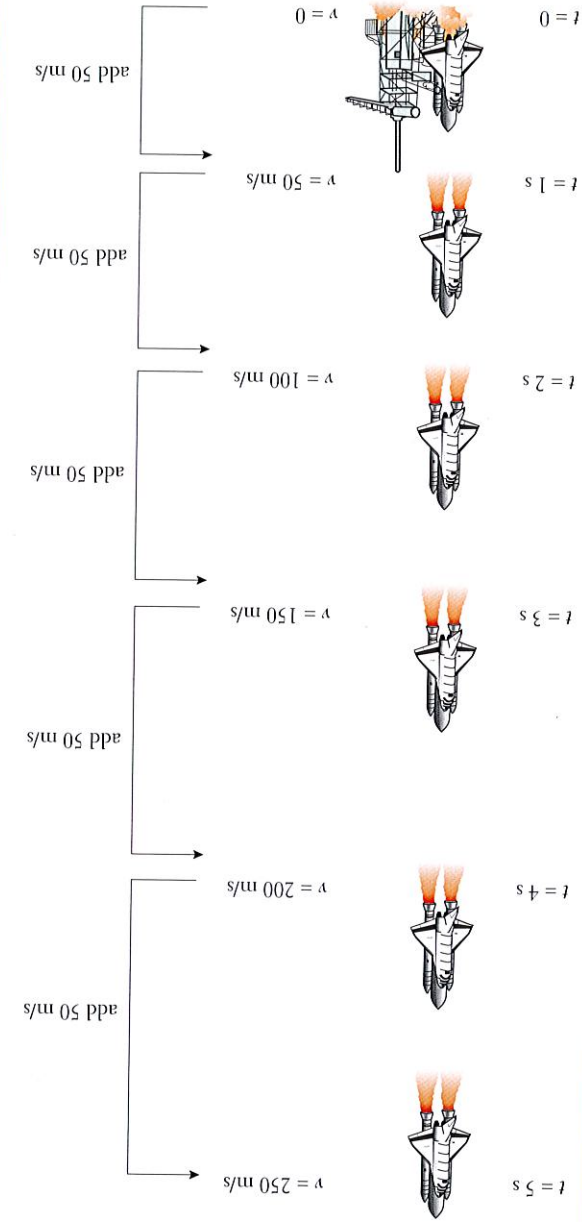


Fig 5.2.3

Acceleration and graphs

High acceleration is a rapid increase in speed. The speed-time graph would be a steeper one than if you accelerated at a lesser rate; that is, the slope or gradient of a speed-time graph gives us the rate of acceleration (see Figure 5.2.4).